

Myopic Loss Aversion

October 14, 2020

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 - ▶ 1889-1978 annual return on S&P 500: 7%
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 - ▶ Dollar in bonds grows to 12.97 from 1926 to 1995, dollar in stocks grows to 1100
 - ▶ **Very high implied risk aversion coefficient!!!**

Thaler's explanation

- ▶ Results are due to **loss aversion** and **mental accounting**
- ▶ **Mental accounting:** how you frame your decisions, in this case time horizons
- ▶ If investors evaluate losses frequently, stocks are unattractive

Samuelson (1963)

[...] a few years ago I offered some lunch colleagues to bet each \$200 to \$100 that the side of a coin they specified would not appear at the first toss. One distinguished scholar - who lays no claim to advanced mathematical skills - gave me the following answer:

"I won't bet because I would feel the \$100 loss more than the \$200 gain. But I'll take you on if you promise to let me make 100 such bets."

-Samuelson (1963)

MLA explanation

- ▶ Decision H: $L = (200, 0.5; -100, 0.5)$ vs. 0
- ▶ Decision L: $2L$ vs. 0
- ▶ Loss aversion assumes:

$$u(x) = \begin{cases} x & \text{if } x \geq 0 \\ \lambda x & \text{if } x < 0 \end{cases}$$

- ▶ Any DM with $\lambda > 1$ will be at least as likely to accept one lottery than two lotteries

Thaler et al. (QJE, 1997)

- ▶ 200 periods, decide how to allocate 100 shares between two funds in each period
- ▶ Fund A (period return): mean 0.25%, s.d. 0.177 (truncated at zero)
- ▶ Fund B (period return): mean 1%, s.d. 3.54
- ▶ Numbers chosen to correspond to actual returns of stocks and five-year bonds over 6.5 weeks
- ▶ **Treatments**
 - ▶ Monthly: 200 decisions
 - ▶ Yearly: 25 decisions (decision binding for eight periods)
 - ▶ Five yearly: 5 decisions (decision binding for 20 periods)
 - ▶ Inflated monthly: returns translated upward by 10%

TABLE I
ALLOCATIONS TO BOND FUND

| Feedback group | Percent allocation to bond fund | | | |
|-------------------------------|---------------------------------|-------------------|-----------|-----------|
| | <i>n</i> | Mean | <i>SD</i> | <i>SE</i> |
| A. Final decision | | | | |
| Monthly | 21 | 59.1 | 35.4 | 7.73 |
| Yearly | 22 | 30.4 ^b | 25.9 | 5.51 |
| Five-yearly | 22 | 33.8 ^b | 28.5 | 6.07 |
| Inflated monthly | 21 | 27.6 ^b | 23.2 | 5.07 |
| B. During the last five years | | | | |
| Monthly | 840 | 55.0 | 31.8 | 1.10 |
| Yearly | 110 | 30.7 ^a | 27.0 | 2.57 |
| Five-yearly | 22 | 28.6 ^a | 25.1 | 5.36 |
| Inflated monthly | 840 | 39.9 | 33.5 | 1.16 |

In each column, means with common superscripts do not differ significantly from one another ($p > .01$).

Gneezy and Potters (1997)

- ▶ Subjects to choose how much of 200 to invest in a risky fund
- ▶ Probability $2/3$ of losing the bet
- ▶ Probability $1/3$ of getting $2.5 * X$, where X is the bet
- ▶ Treatment H: Decision made one at a time
- ▶ Treatment L: Decisions made three at a time

Gneezy and Potters (1997)

TABLE I
AVERAGE PERCENTAGE OF ENDOWMENT BET (PART 1)

| | Treatment H ^a | Treatment L ^a | Mann-Whitney z^b |
|------------|--------------------------|--------------------------|--------------------|
| Rounds 1–3 | 52.0 (30.2) | 66.7 (29.5) | -2.08 [0.018] |
| Rounds 4–6 | 44.8 (30.0) | 63.7 (30.3) | -2.78 [0.003] |
| Rounds 7–9 | 54.7 (28.9) | 71.9 (29.4) | -2.51 [0.006] |
| Rounds 1–9 | 50.5 (26.7) | 67.4 (27.3) | -2.86 [0.002] |

a. # obs. = 41 (42) for treatment H (L). Standard deviations are in parentheses.

b. One-tailed significance levels (p -values) are in brackets.

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- ▶ Higher stakes \Rightarrow less likely to make a mistake \Rightarrow less likely to choose the safe option

Formal explanation

- ▶ Consider Samuelson's thought experiment
- ▶ Let $U(L) = 50 + \epsilon$, $U(2L) = 100 + \epsilon$, and $U(0) = \epsilon$.
- ▶ ϵ i.i.d. extreme value on $(0,1)$

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- ▶ ϵ i.i.d. extreme value on $(0,1)$
- ▶ $P(L) = \frac{1}{1+\exp(-50)} < \frac{1}{1+\exp(-100)} = P(2L)$
- ▶ Intuition: higher stakes $\rightarrow \epsilon$ has less of an influence
- ▶ **No less aversion!!**

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- ▶ Risky option sometimes more and sometimes **less** attractive
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- ▶ When risky option is less attractive, people should be less likely to choose it with higher stakes

Our classroom experiment

- ▶ $L=(60, 0.5; 0, 0.5)$
- ▶ $s \in \{20, 30, 40\}$
- ▶ Treatment H: L vs s
- ▶ Treatment L: $3L$ vs $3s$
- ▶ 20 periods in Treatment L, 60 periods in Treatment H
- ▶ Decisions in blocks of 3 in Treatment H
- ▶ s for each period/block chosen randomly